



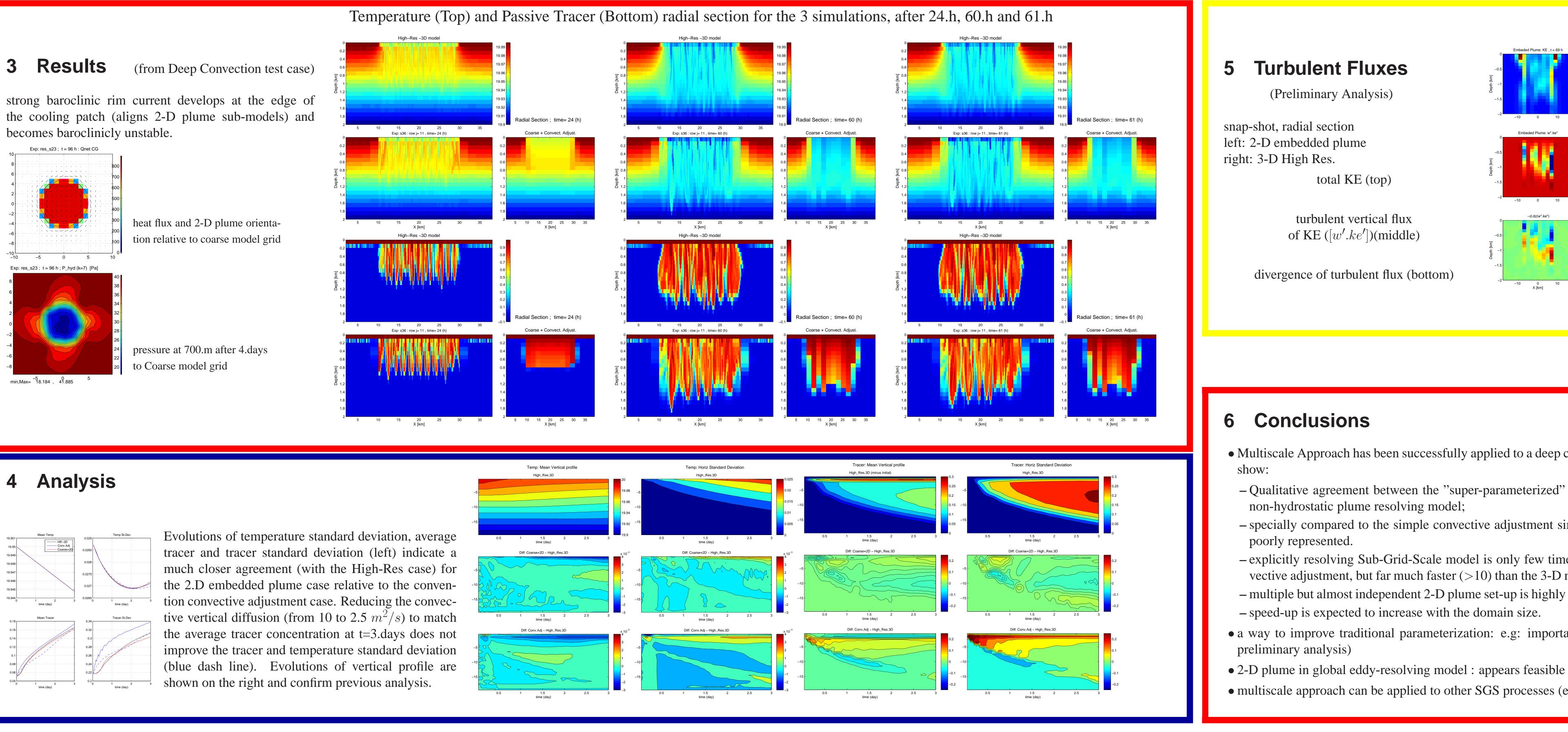
Abstract

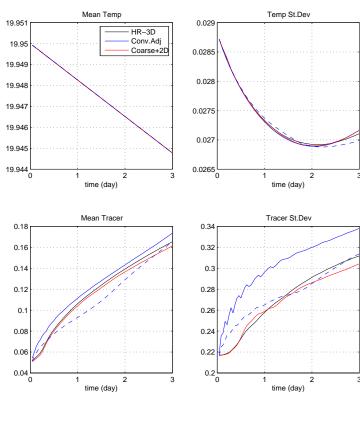
Multiscale approaches allow explicit modeling of the many different phenomena that are present in real ocean dynamics. In this work we use a multiscale-superparameterization approach to efficiently model oceanic deep-convection. We present results and methodology for a multiscale simulation in which several hundred high-resolution, two-dimensional, non-hydrostatic process models are coupled, as separate ESMF components, to a large-scale hydrostatic ocean model. One process model is embedded in each grid cell of the large-scale three-dimensional hydrostatic model. The process models take the place of conventional one-dimension empirical parameterizations, producing a simulation more accurately grounded in underlying physical equations. The individual process models, and the hydrostatic ocean model into which they are embedded, are implemented as ESMF components. The ESMF library is used to orchestrate data flows between components and to steer the overall computation, including spreading the workload over multiple parallel processors.

We measure the impact of our approach, in terms of both improved numerical accuracy and computational cost, by comparing quantitative metrics with respect to a fully resolved, three-dimensional, non-hydrostatic "ground-truth" simulation. In comparison with a purely hydrostatic numerical experiment, the time evolving state and statistics of the multiscale system are found to be significantly closer to the ground-truth model solution. For example, in the embedded simulation, the slanting of convective plumes due to large scale flow vertical shear is reproduced and higher order statistics, such as the variance and skewness of the model fields, are all much closer to the ground-truth model solution.

The improved accuracy of the multi-scale model is achieved for a computational cost far less than that of a fully resolved non-hydrostatic model. By exploiting parallelism amongst the embedded models, we can achieve a wall-clock time to solution that is a small multiple of a pure hydrostatic simulation.

The approach we have taken is by no means limited to parameterization of deep convection and can be generalized fairly broadly. For example mixed-layer processes, biogeochemical processes, eddy flux coefficients could all be estimated by appropriate local, prognostic sub-models that are then coupled to a larger scale model, provided the factors and analysis we described are appropriately considered.





Recent developments on Superparmeterization in ocean modeling using general multiscale techniques: a deep-convection case study employing ESMF.

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Super-parameterization 2

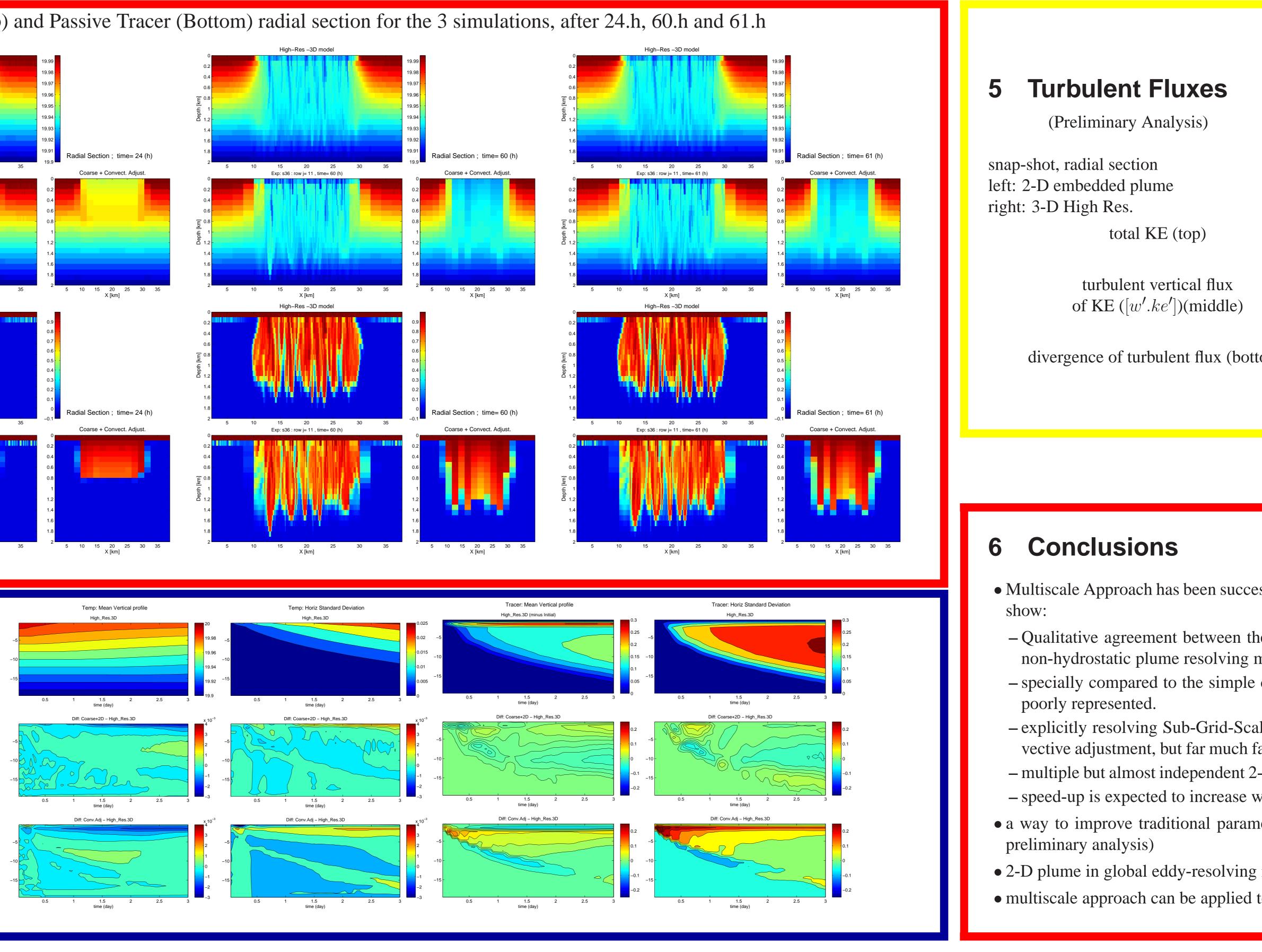
Motivations

Explicitly resolve sub-grid scale processes in each column of a large-scale, coarse resolution model

- concept from atmospheric superparameterization
- embedded Cloud Resolving (with Model)
- requires scales separation
- fine-grid embedded model may only cover part of the coarse grid column ; e.g., only 2-D in vertical plane.
- global/large-scale simulation at plumeresolving resolution is computationally very expensive.

(e.g. Eddy-Resolving: $\Delta x \sim 2 - 10 \text{ km}$; Plume-Resolving: $\Delta x \sim 10 \text{ m}$)

Algorithm



• embed 2-D (x-z) plume-resolving model (fine-grid) in each column of coarse-grid, 3-D hydrostatic model. • coupling

Coarse : $\frac{\partial \theta_c}{\partial t} = -\mathbf{v}_c \cdot \nabla \theta_c + F_{SGS}$ Fine : $\frac{\partial \theta_f}{\partial t} = -\mathbf{v}_f \cdot \nabla \theta_f$ Coarse \rightarrow Fine : $[\theta_f]_c \leftarrow \theta_c(z)$ Fine \rightarrow Coarse : $F_{SGS} = [\partial \theta_f / \partial t]_c$

• self orientation:

orientation of 2-D model x axis is relaxed towards the direction of maximum vertical shear of the coarse-grid model

• coupling applies to potential temperature and horizontal momentum (u, v).

Implementation

- Generally applicable implementation tied to a specific problem or mod
- cast computational formulation pled modeling scheme and borro System Modeling Framework technology from the coupled n community.

Efficiency

- N = ratio of fine to coarse resolution explicit computation: Coarse : ded : 3D Fine = $1 : N : N^2$
- 3-D NH pressure solver: less po much smaller domain \rightarrow converges much more rapid quires less exchanges.
- no direct connection between 2-I models

 \rightarrow scales perfectly on large nut processors.

	Deep Convection test case
tation not odel(s). as a cou- cow Earth (ESMF) modeling	Starting from a uniformly stratified ($N = 3.10^{-4}s^{-1}$) oceanic box (40 x 40 x 2 km) at rest, a circular patch of uniform surface cooling (800 W/m^2) is applied at the cen- ter. 3 comparable set-up are compared: • 3-D High resolution ($\Delta x = \Delta y = 100$ m) • 2-D embedded plume ($\Delta x_f = 100$ m) in 3-D coarse resolution ($\Delta x_c = \Delta y_c = 2$ km)
lution. : Embed-	 3-D coarse resolution (Δx = Δy = 2 km) with convective adjustment. same vertical resolution (Δz = 100m) and
oints and	time-step (1.mn); same viscosity both in 2-D plume and 3-D High res. and also in
dly + re-	the two 3-D coarse res.; same source code: MITgcm .
-D plume	In addition a passive tracer is added at the surface (surface level concentration kept to
umber of	1)

N

• Multiscale Approach has been successfully applied to a deep convection test case: Preliminary results

-10 0 10 X [km]

- Qualitative agreement between the "super-parameterized" convective model and a reference 3-D
- specially compared to the simple convective adjustment simulation where transient responses are
- explicitly resolving Sub-Grid-Scale model is only few times (\sim 3-5) slower than model with convective adjustment, but far much faster (>10) than the 3-D non-hydrostatic plume resolving model. – multiple but almost independent 2-D plume set-up is highly scalable on large number of processors.
- a way to improve traditional parameterization: e.g. importance of non local flux of TKE ? (from
- multiscale approach can be applied to other SGS processes (e.g.: internal wave breaking ?).